

نام بیمار خانگی : علی ربانی

$$\sqrt{2^k f(2.1)}$$

$$A_f = [0, 1]$$

$$f(x+1) = \left(\frac{1}{x}\right)^{x+1-1} = \left(\frac{1}{x}\right)^{x-1}$$

$$\begin{array}{c} | \\ \hline + \quad \phi \quad - \\ y = -1 \quad (\frac{1}{2}) = -1 \end{array}$$

$$f(z) = \sqrt{z + |z - 2|} \quad f(-2) = \sqrt{-2 + |2 - 2|}$$

$$D_f = (-\infty, 1]$$

Diagram illustrating the steps of the Routh-Hurwitz stability criterion for a polynomial equation. The diagram shows a horizontal line with four points labeled 1, 2, 3, and 4. Below the line, the values are calculated:

- At point 1: $-4 - 1 = -5$, with a circled $+$ below it.
- At point 2: $-3 - 1 = -4$, with a circled $-$ below it.
- At point 3: $-3 - 1 = -4$, with a circled $-$ below it.
- At point 4: $-3 - 1 = -4$, with a circled $-$ below it.

$$y = \sqrt{\frac{z-1}{f(z)}}$$

ما تَقِي - مَكْنِي وَارِي :

$$f(z) \neq 0 \Rightarrow z \neq \{-1, 2, 4\}$$

$\frac{-0}{-} \quad \frac{-3}{+} \quad \frac{1}{0} \quad \frac{2}{-} \quad \frac{2}{+}$

$$D_f = (-\infty, 1] \cup (2, \infty)$$

$$y_1 = \frac{1}{9z^2 - V_2^2 - \{z - w\}} \quad y_2 = \frac{1}{w^2 + wz + b}$$

$$\begin{aligned} 9z^2 - V_2^2 \cdot \xi_2 - \xi_2 &= 9z^2 - \underbrace{9z^2 - 2^2 - \xi_2 - 1}_{+1} = -(2^2 \cdot \xi_2 + \xi_2) = -(2 \cdot \xi_2)^2 + 9z^2 - 2^2 + 1 \\ &= (2^2 - 1)^2 - (2 + \xi_2)^2 = (2^2 - 1 - 2 - \xi_2)(2^2 - 1 + 2 + \xi_2) \end{aligned}$$

$$x^2 - 2x = x^2 + (-1)x + (-2) \quad \left(\frac{x^2 - 2x}{\Delta = 1 + 4 = 5 \checkmark} \right) (x^2 + x + 1) \rightarrow \Delta < 0 \rightarrow \text{no real roots}$$

$$\Rightarrow \sqrt{-(a+b)} = \sqrt{-(-1)} = \boxed{1}$$

$$f(z) = z^2 + z$$

$$D_f = [-\infty, 0) \cup [1, +\infty)$$

$$y = \sqrt{f(x) - f\left(\frac{f}{x}\right)}$$

$$-2,002 = \frac{r}{2} \leftarrow \left(\frac{2^2 - 1}{2} \right) \left(\frac{2^2 + 14 + 23}{2} \right)$$

$$y = \sqrt{x^2 + x - \left(\frac{x}{2}\right)^2} - x$$

$$\begin{array}{ccccccc} & - & 2 & & 0 & & 2 \\ \hline - & 1 & 0 & + & 1 & - & 0 & + \end{array}$$

$$x^2 + x - \left(\frac{x}{2}\right)^2 - \frac{x}{2} \geq 0. \quad \underline{1.2.1} \quad -2, 0, 2$$

$$z^2 - \left(\frac{\xi}{2}\right)z + \left(z - \frac{\xi}{2}\right) = (z - \frac{\xi}{2})(z^2 + \xi + \frac{1y}{2z}) + (z - \frac{\xi}{2}) = (z - \frac{\xi}{2})(z^2 + \xi + \frac{1y}{2z} + 1)$$

$$f(x^2+2) = x^2-1$$

$$V+1 = \Lambda$$

$$\Lambda - 2$$

$$f(x) = f(x+1) = x-1 = 1$$

$$f(10) = f(x^2+2) = x^2-1 = 7$$

$$g(x) = x^2 + 9x^2 + 4x + 4x - 2x$$

$$f(x) = x^2 - 4x^2 + 12x + \Lambda - \Lambda$$

$$-V$$

$$(x+2)^2 - 2x$$

$$(x-2)^2 + \Lambda$$

$$2x+2$$

$$\frac{g(\sqrt{x}-2)}{f(\sqrt{x}+2)} = \frac{(\sqrt{x}-2)^2 - 2x}{(\sqrt{x}+2)^2 + \Lambda} = \frac{-2}{1} = -2$$

$$x \geq 2$$

$$g(x) = \sqrt{x-4} \sqrt{x-4} \quad , \quad f(x) = \sqrt{x+4} \sqrt{x-4}$$

$$-\Lambda$$

$$(\sqrt{x-4} \sqrt{x-4} + \sqrt{x+4} \sqrt{x-4})^2 = x-4 + x+4 + 2\sqrt{x-4} \sqrt{x+4} \sqrt{x-4}$$

$$= 2x + 2\sqrt{x^2 - (4\sqrt{x-4})^2} = 2\sqrt{x^2 - 16x + 64} = 2\sqrt{x^2 - 16x + 64} = 2\sqrt{(x-8)^2} = 2|x-8|$$

$$= (x-8)^2 = 64 - 16 \Rightarrow x = \sqrt{64-16} = \sqrt{48} = 4\sqrt{3}$$

$$\frac{a+b}{c} = \frac{2}{-3} = -\frac{2}{3}$$

$$g(x) = \{(x,1)(1,0)(-1,0)(0,1)\} \quad f(x) = \frac{x+2}{x^2-4x+3}$$

$$-9$$

$$f(x) = \{(x,-1)(1,0)(-1,0)(0,1)\}$$

$$\frac{g}{f} = \frac{1}{-1} \quad , \quad \frac{f}{g} = 1 \Rightarrow \frac{-1}{1} \text{ and } 1 \Rightarrow \{(0,1)(1,-1)\}$$

$$1) f(x) = \{(\frac{1}{2}, x)(\frac{x}{2}, -1)(2, x)(-\frac{1}{2}, 1)\}$$

$$f(x) = \{(1, x)(x-1)(x, 1)(-1, 0)\} = 1$$

$$2) f(x) = \{(\pm 1, x)(\pm \sqrt{x}, -1)(\frac{x}{2}, 1)(-\frac{1}{2}, 1)\}$$

$$g(x) = \{(-x, x)(1, -1)(x, 1)(-1, 0)\}$$

$$3) 2g(x) = 2 \quad , \quad g^2 = \{(x, 1)(1, 0)(x, 1)(-1, 0)\} \Rightarrow \{(-x, 1)(1, 0)(x, 1)(-1, 0)\} = 1$$

$$\Rightarrow \{(-x, 1)(1, 0)(x, 1)(-1, 0)\}$$

$$4) = \frac{2f}{g} = \{(1, \frac{x}{2})(-1, \frac{x}{2})(x, \frac{x}{2})\} = \{(1, -1)(x, -1)\}$$