

$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	۶
$f(m) = (m-t)^{\frac{n}{t}} + \Lambda = 14$ $\sqrt[n]{t+t}$ $\sqrt[n]{t+t}$ $\sqrt[n]{t+t}$ $\sqrt[n]{t+t}$ $\sqrt[n]{t+t}$ $\sqrt[n]{t+t}$ $\sqrt[n]{t+t}$ $\sqrt[n]{t+t}$	٧
$t: \sqrt{n-2} \rightarrow f(m) = \sqrt{t'+2t+2} = \sqrt{t+5} = t+1$ $g(m) = \sqrt{t'-2t+2} \rightarrow \sqrt{t+5} = \sqrt{t+1}$ $9(m) = \sqrt{t'-2t+2} \rightarrow \sqrt{t+5} = \sqrt{t+1}$ $9(m) = \sqrt{t'-2t+2} \rightarrow \sqrt{t+5} = \sqrt{t+5}$ $9(m) = \sqrt{t'-2t+2} \rightarrow \sqrt{t+5} = \sqrt{t+5}$ $9(m) = \sqrt{t'-2t+2} \rightarrow \sqrt{t+5} = \sqrt{t+5}$ $1t-5)' = \sqrt{t+5}$ $9(m) = \sqrt{t'-2t+2} \rightarrow \sqrt{t+5} = \sqrt{t+5}$ $1t-5)' = \sqrt{t+5}$ $1t-5)' = \sqrt{t+5}$ $2t+7 \rightarrow t+7 $	٨
$ \frac{g}{f} \qquad f(n) = \frac{n+r}{(n-r)(n-1)} \qquad g(r) = \left\{ (r,1), (1,0), (r,0), (r,0), (r,0) \right\} $ $ f(n) \neq 0 \rightarrow n \neq -r, r, r$	٩
$ \frac{(1, r)_{9}(9_{9}-1)_{9}(\Lambda_{9}r)_{9}(-r_{9}4)}{(1, r)_{9}(9_{9}-1)_{9}(199r)_{9}(199r)} $ $ \frac{(1, r)_{9}(9_{9}-1)_{9}(199r)_{9}(199r)}{(1, r)_{9}(199r)_{9}(-1, r)_{9}} $ $ \frac{(1, r)_{9}(9_{9}-1)_{9}(199r)_{9}(-1, r)_{9}}{(1, r)_{9}(199r)_{9}(-1, r)_{9}} $ $ \frac{(1, r)_{9}(9_{9}-1)_{9}(199r)_{9}(199r)_{9}(199r)_{9}(199r)_{9}}{(199r)_{9}(199r)_{9}(199r)_{9}} $	1.