

$$\begin{cases} \mu^{A+C} + B = 1 \rightarrow A+B=0 \\ \mu^{2A+B} = \mu^2 \rightarrow 2A+B=2 \end{cases} \rightarrow 2A=2 \rightarrow A=1, B=-1$$

$$f(x) = \mu^{x-1} \xrightarrow{x=0} y = \frac{1}{\mu} \text{ و } \left(0, \frac{1}{\mu}\right)$$

$$\log_v (\varepsilon^n + \omega) = n + \mu \rightarrow v^{n+\mu} = \varepsilon^n + \omega \rightarrow \varepsilon^n - \omega = \mu v^n + \omega = 0$$

$$v^n = t \rightarrow t^\mu - \omega t + \mu = 0 \rightarrow (t-\mu)(t-\omega) = 0 \rightarrow t = \mu, \omega$$

$$\mu = v^\mu \rightarrow \log_v \mu = \mu, v^\omega = \omega \rightarrow \log_v \omega = \omega$$

$$\log_v \mu + \log_v \omega = \log_v \omega$$

$$\left(\log_{v_1} \mu\right)^\mu + \left(v \log_{v_1} \mu + \log_{v_1} \omega\right) \left(\mu \log_{v_1} \mu + v \log_{v_1} \omega\right)$$

$$\log_{v_1} \omega = \log_{v_1} \mu - \log_{v_1} \mu \rightarrow t^\mu + (\mu - vt + \omega)(\mu t + v - vt)$$

$$= t^\mu + (\mu - t)(t + \mu) = t^\mu + \mu - t^2 = \mu$$

$$\begin{aligned} \log_{(1-\mu)^\mu} (\mu^\mu + \mu + 1) + \mu \log (1-\mu) &= \omega \rightarrow \frac{\mu \log^{1-\mu} + \mu \log^{1-\mu}}{\omega \log^{1-\mu}} = \omega \\ &\rightarrow \log^{1-\mu} = 1 \\ &\rightarrow \log_{\mu} (-\mu) = -\mu \rightarrow \mu = -\mu \end{aligned}$$

$$\begin{aligned} \log_p (\mu^\mu + \mu + 1) + \log_p (\mu - \mu) &= \mu \\ \log_p (\mu^\mu + \mu + 1)(\mu - \mu) &= \log_p \mu^\mu - \mu \mu^\mu + \mu \mu^\mu - \mu + \mu - 1 \\ &= \log_p \mu^{\mu-1} = \mu \rightarrow \mu = \sqrt[\mu]{14} = \mu^{\frac{\mu}{\mu}} \rightarrow \log_{\mu^{\frac{\mu}{\mu}}} \mu^{\frac{\mu}{\mu}} = \mu \end{aligned}$$

$$\rightarrow \log_{\mu^{\frac{\mu}{\mu}}} \mu^{\frac{\mu}{\mu}} = \mu$$

$$\log^{(r-n)} - \log \frac{1}{(r-n)r} = \mu \rightarrow \log^{(r-n)\mu} = \mu$$

$$(r-n)^\mu = r^\mu \xrightarrow{\text{Wurde}} r-n = 1 \rightarrow n = r-1$$

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$$\log^{(-n)}_{\sqrt{r}} = \log^r_{\frac{r}{\sqrt{r}}} = 4 \log^r_{\frac{r}{\sqrt{r}}} \quad \text{④}$$

$$\log^{(n-r)}_a = ? \quad n = r + \sqrt{4} \rightarrow \log_{\frac{1}{r}}^{\sqrt{4}} = \frac{1}{r}$$

$$\left\{ \begin{array}{l} \mu^{n-r-r} = 1 \quad \mu^n \\ \rightarrow \mu^{n-r} = \mu^{\epsilon n} \end{array} \right.$$

$$\rightarrow n^r - \epsilon n - r = 0$$

$$\Delta = 14 + 1 = 15$$

$$\rightarrow n = \frac{\epsilon \pm \sqrt{15}}{r} \rightarrow n = \boxed{r \pm \sqrt{4}} \rightarrow \text{oo}$$

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$$\log^1_n = \frac{\mu \log^r_\mu}{\log_{\frac{1}{\mu}}^{\mu}} = \frac{\mu \log^r_\mu}{r \log^r_\mu + \log^r_\mu} = \frac{10}{r} = \frac{10}{r} = \text{④}$$

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$$\log^4_{12} = \frac{\log^r_{12} + \log^r_{12}}{r \log^r_{12} + \log^r_{12}} = \frac{16}{r+16} = \frac{r}{16} = \frac{12}{16} = \text{④}$$

* $\log^r_{\epsilon} = 0, 1$
 $\log^r_{12} = 1, 4$

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$$a(\log r)^n + a n + b \log r = 0 \xrightarrow{n=-1} a \log r - a + b \log r = 0$$

$$\rightarrow b \log r = a - a \log r = a(1 - \log r) \rightarrow \frac{b}{a} = \frac{1 - \log r}{\log r} = \frac{\log a}{\log r}$$

$$= \log^a_r \quad (\sqrt{r})^{\frac{b}{a}} = r^{\frac{1}{r} \log^a_r} = r^{\log^a_{\epsilon}} = \frac{1}{\log^a_r} = \text{④}$$

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