

$$\lim_{x \rightarrow r^+} \epsilon a - r \Rightarrow \Lambda^+ - r \Rightarrow \delta^+ \Rightarrow \delta$$

$$\lim_{x \rightarrow r^-} \epsilon a - r \Rightarrow \Lambda^- - r \Rightarrow \delta^- \Rightarrow \delta$$

$$\lim_{x \rightarrow r^+} \epsilon [a] - r \quad \Lambda^- - r \Rightarrow \delta$$

$$\lim_{x \rightarrow r^-} \epsilon [a] - r \quad \epsilon - r \Rightarrow \delta$$

$$\lim_{x \rightarrow r^+} [\epsilon a - r] \quad \Lambda^+ - r \Rightarrow \delta^+ \Rightarrow \delta$$

$$\lim_{x \rightarrow r^-} [\epsilon a - r] \quad \Lambda^- - r \Rightarrow \delta^- \Rightarrow \delta$$

$$[\lim_{x \rightarrow r^+} \epsilon a - r] \quad \Lambda^+ - r \Rightarrow \delta^+ \Rightarrow \delta \Rightarrow [\delta] = \delta$$

$$[\lim_{x \rightarrow r^-} \epsilon a - r] \quad \Lambda^- - r \Rightarrow \delta^- \Rightarrow \delta \Rightarrow [\delta] = \delta$$

$$\lim_{x \rightarrow r} \frac{\epsilon a - r}{x - r} \begin{cases} r^+ & \Lambda^+ - r \Rightarrow \delta^+ \\ r^- & \Lambda^- - r \Rightarrow \delta^- \end{cases}$$

$$\lim_{x \rightarrow r} \frac{\epsilon a - r}{(x - r)^2} \begin{cases} r^+ & \Lambda^+ - r \Rightarrow \delta^+ \\ r^- & \Lambda^- - r \Rightarrow \delta^- \end{cases}$$

$$\lim_{x \rightarrow r} \frac{\epsilon a - r}{\sqrt{x - r}} \begin{cases} r^+ & \Lambda^+ - r \Rightarrow \delta^+ \\ r^- & \Lambda^- - r \Rightarrow \delta^- \end{cases}$$

$$\lim_{x \rightarrow r} \frac{\epsilon a - r}{\sqrt{x - r} \cdot \epsilon a + r} \quad \begin{matrix} \frac{q^+}{0^+} = +\infty \\ \frac{q^-}{0^-} = -\infty \end{matrix}$$

$$\lim_{x \rightarrow r} \frac{\epsilon a - r}{x^2 - \sqrt{x} + r} \quad \begin{matrix} r^+ & \frac{q^+}{0^+} = \infty \\ r^- & \frac{q^-}{0^-} = \infty \end{matrix}$$

$$\lim_{x \rightarrow r} \frac{\epsilon a - r}{[a - r]} \begin{cases} r^+ & \frac{q^+}{0^+} = 0 \\ r^- & \frac{q^-}{0^-} = -9 \end{cases}$$

$$\lim_{x \rightarrow r} [\epsilon a] + [-r a] \quad \begin{matrix} r^+ & q - v \\ r^- & \Lambda - f \end{matrix}$$

$$\lim_{x \rightarrow -f} [-\epsilon a] + [\epsilon a] \quad \begin{matrix} -f > a \Rightarrow r < -\epsilon a \Rightarrow r < -\Lambda \Rightarrow \delta \\ -f < a \Rightarrow r < -\epsilon a \Rightarrow r < -\Lambda \Rightarrow \delta \end{matrix}$$

$$\lim_{x \rightarrow r} [a^r - \epsilon a] \quad \begin{matrix} r^+ \Rightarrow r, r \Rightarrow \epsilon, \Lambda^+ - \Lambda \Rightarrow \\ -r a \Rightarrow (-f) \\ r^- \Rightarrow \Lambda \Rightarrow r, r < -v, r \\ \Rightarrow -f \end{matrix}$$

$$\lim_{x \rightarrow r} [\epsilon a - a^r] \quad \begin{matrix} r, 1 \Rightarrow \Lambda, q a \Rightarrow \Lambda \\ r, q \Rightarrow \Lambda, q a \Rightarrow \Lambda \end{matrix}$$

$$\lim_{x \rightarrow r} \frac{|x - r|}{x^2 - \epsilon a + r} \quad \begin{matrix} r^+ & \frac{q^+}{(x-1)(x+1)} = \frac{1}{x-1} \\ r^- & \frac{q^-}{(x-1)(x+1)} = \frac{-1}{x-1} \end{matrix}$$

$$\lim_{x \rightarrow 1} \frac{x - [a]}{x^2 - \epsilon a} \quad \begin{matrix} r^+ & \frac{q^+}{(x-1)(x+1)} = \frac{1}{x+1} = \frac{1}{2} \\ r^- & \frac{q^-}{0^-} \Rightarrow \infty \end{matrix}$$