

ملک محمد حسینی

$$n + |2n - \varepsilon|$$

$$\begin{cases} n + 2n - \varepsilon \rightarrow 3n - \varepsilon & n \geq 1 \\ n - 2n + \varepsilon \rightarrow -n + \varepsilon & n < 1 \end{cases}$$

برد: $[1, +\infty)$

14, 0

$$|n - 2| + |n - 1| - |n| \rightarrow n - 2 = 0 \rightarrow n = 2$$

$$\begin{aligned} n - 1 = 0 &\rightarrow n = 1 \\ n = 0 & \end{aligned}$$

$$\begin{cases} -n + 2 - n + 1 + n = -n + 3 & n < 0 \\ n - 2 + n - 1 - n = n - 3 & n \geq 1 \\ -n + 2 - n + 1 + n = -n + 3 & 0 \leq n < 1 \\ -n + 2 + n - 1 - n = -n + 1 & 1 < n < 2 \end{cases}$$

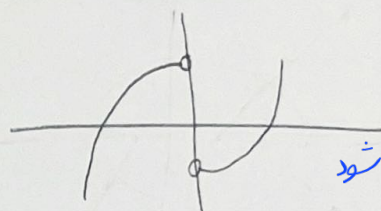
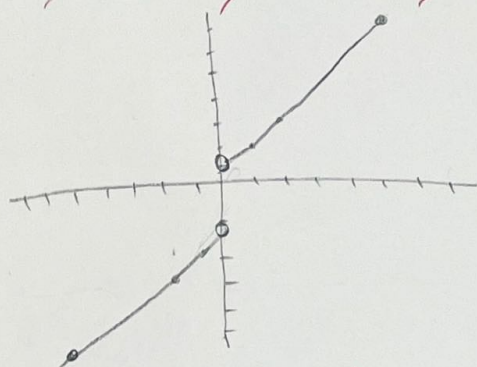
$$n = 2 \rightarrow \mathcal{D}_f = [-1, +\infty)$$

$$|3n - 2| - |n + 2| = K$$

نکته: مقدار ثابت K را برای $n=1$ می‌توانیم پیدا کنیم.

$$\begin{cases} -3n + 2 + n + 2 = -2n + 4 & n < -2 \\ -3n + 2 - n - 2 = -4n & -2 \leq n < 1 \\ 3n - 2 - n - 2 = 2n - 4 & n \geq 1 \end{cases}$$

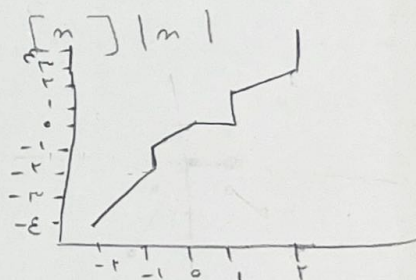
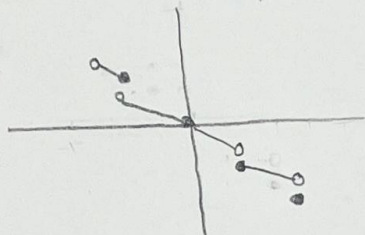
$$K = -2 = f(1) = \frac{f(1)}{1 - (-2)}$$



این است ضابطه ها نوشته شود

$$y = [n] - 2n$$

$$-2 - 2n$$



$$3n - [3n] \rightarrow 0 \leq n - [n] < 1 \rightarrow [0, 1) = \text{برد}$$

$$\varepsilon n - \varepsilon [n] \rightarrow \varepsilon (n - [n]) \rightarrow 0 \leq n - [n] < 1 \xrightarrow{\times \varepsilon} 0 \leq \varepsilon n - \varepsilon [n] < \varepsilon$$

$$n - 2 \left[\frac{n}{2} \right] \xrightarrow{\Delta \left(\frac{n}{2} - \left[\frac{n}{2} \right] \right)} n - [n] \rightarrow 0 \leq n - [n] < 1 \rightarrow [0, 1) = \text{برد}$$

$$[2n] - 2n \rightarrow 2([n] - n) \rightarrow -2 < [n] - n \leq 0 \rightarrow (-1, 0] = \text{برد}$$

$$3 \sin n + 4 \cos n \rightarrow \pm \sqrt{(3)^2 + (4)^2} = \pm \sqrt{13}$$

$$\pm \sqrt{a^2 + b^2}$$

بیشترین و کمترین مقدار

$$-4 \sin n - 3 \cos n \rightarrow \pm \sqrt{16 + 9} = \pm 5 \rightarrow [-5, 5] = \text{برد}$$

$$[3 \sin n + 4 \cos n] \rightarrow [\pm \sqrt{13}] = [\pm \sqrt{13}] \rightarrow \sqrt{13} = [1.7, 2.6] = 2.6 - 1 \rightarrow [-1, 2.6] = \text{برد}$$

$$\sqrt{\cos n - 2 \sin n} \rightarrow \pm \sqrt{1 + 4} = \pm \sqrt{5} \rightarrow [0, \sqrt{5}] = \text{برد}$$

نقطه اعداد صحیح

$\sin^r n + r \sin n + r \rightarrow (\sin n + r)(\sin n + 1) \xrightarrow{\sin n \in [-1, 1], (-1+r)(-1+1)=0}$
 $[0, 4] \Rightarrow r \leftarrow (r)(r) = 4$

1, 5

$r \sin^r n + r \sin n + r$

$\xrightarrow{-\frac{r}{r} \rightarrow \frac{r}{r}}$
 $-1 \leq \sin n \leq 1 \xrightarrow{(-1)} +r = r + r = 1$
 $(1) \rightarrow r + r + r = 3$

$[1, 3] = r$

$\sin^r n + \varepsilon \cos^r n$

$\rightarrow \sin^r n + \cos^r n = 1 \rightarrow \sin^r n + \varepsilon(1 - \sin^r n) = \sin^r n + \varepsilon - \varepsilon \sin^r n = \varepsilon - \varepsilon \sin^r n$
 $\leq \sin^r n \leq 1 \rightarrow [\varepsilon - r, \varepsilon - r] \rightarrow [1, \varepsilon] = r$

$r \cot n$

$1 + \cot^r n$

$\rightarrow 1 + \cot^r n = \frac{1}{\sin^r n} \rightarrow r \cot n \times \frac{1}{\sin^r n} = r \cot n \times \sin^r n = r \cos n \sin n$

$\sin^r n + \cos^r n \rightarrow a^r + b^r = (a+b)(a^{r-1} - ab + b^{r-1})$

$(\sin^r n + \cos^r n)(\sin^r n + \cos^r n)^{r-1} - r \sin^r n \cos^r n = 1 - r \sin^r n \cos^r n$

$\sin^r n \cos^r n \in [0, 0, r] \rightarrow [1 - r(1, \varepsilon), 1] = [1 - \frac{r}{\varepsilon}, 1] = [\frac{1}{\varepsilon}, 1] = r$
 $[0, \frac{1}{\varepsilon}]$

$[\sin^r n + \cos^r n] \rightarrow \sin^r n + \cos^r n = (\sin^r n)^\varepsilon (\cos^r n)^\varepsilon \in \{0, 1\}$

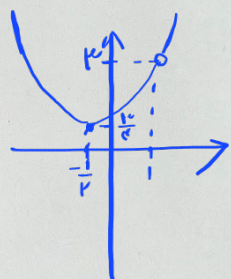
$\frac{r n^r + \sqrt{n} - \varepsilon}{n + \varepsilon}$

$\rightarrow r n (n + \varepsilon) = r n^r + \sqrt{n} - \varepsilon \rightarrow r n (n + \varepsilon) - 1 (n + \varepsilon) = (r n - 1)(n + \varepsilon)$
 $y \geq r n - 1, n \geq -\varepsilon \rightarrow y = r(-\varepsilon) - 1 = R - \{1\} = r$

$\frac{n^r - 1}{n - 1} \rightarrow n^{r-1} = (n-1)(n^r + n + 1) \rightarrow f(n) = n^r + n + 1, n \neq 1$

$n = -\frac{1}{r} \rightarrow (-\frac{1}{r})^r + (-\frac{1}{r}) + 1 = \frac{1}{\varepsilon} - \frac{1}{r} + 1 = \frac{r}{\varepsilon}$

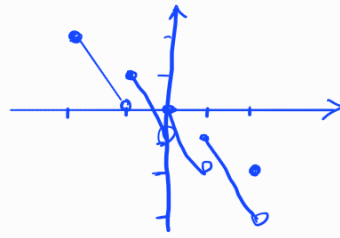
$r \in [\frac{r}{\varepsilon}, +\infty) - \{1\}$



منقذم از معادله بردها R بوده لطفاً خوازم کسر کنید. متشکر

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