

(0, 2) → $r = 1 - \log_c b \rightarrow -\log_c b = 1 \rightarrow \log_c b = -1 \rightarrow \frac{1}{c} = -b \rightarrow b = -\frac{1}{c}$
 (-1/5, 0) → $0 = 1 - \log_{-1/5} a - b \rightarrow \log_{-1/5} a - b = 1 \rightarrow c = -1/5 a - b$ ✗
 $b + c = -\frac{r}{c} \rightarrow \frac{c^r - 1}{c} = -\frac{r}{c} \rightarrow r c^r - r = -r c \rightarrow r c^r + r c - r = 0$
 $r(c^r + c - 1) = 0 \rightarrow (c+r)(c-1) = 0 \rightarrow c = -r \text{ or } \frac{1}{r} \rightarrow b = -r$
 ✗ $\frac{1}{r} = -\frac{r}{c} a + r \rightarrow a = 1$ $b(a+c) = -r$

(0, r) → $\frac{r}{r} = 1 + (c \times r^a) \rightarrow r^a \times c = -\frac{1}{r}$
 (1, 0) → $0 = 1 + (c \times r^{a+b}) \rightarrow c \times r^a \times r^b = -\frac{1}{r} \times r = -1$
 $\rightarrow r^b = r \rightarrow b = 1$
 $f(1) = 1 + c \times r^{a-1} = 1 + \frac{r^a}{r} \times c = \frac{r}{9}$

(0, r) → $r \times y = c + \log_\Delta b \rightarrow r - c = \log_\Delta b \rightarrow b = \Delta^{r-c} \rightarrow \frac{b}{r \Delta} = \Delta^{-c}$
 (r, f, 0) → $0 = c + \log_{r/f} a + b \rightarrow \Delta^{-c} = r/f a + b$
 $r/f a + b = \frac{b}{r \Delta} \rightarrow r/f a = -\frac{r \Delta}{r \Delta} b \rightarrow \frac{a}{b} = \frac{-r \Delta}{r \Delta} = -\frac{1}{\Delta} = -\frac{r}{\Delta} = -r$

$f(x) = \log_f(x^r - r - x) \rightarrow |x^r - r - x| > 0 \rightarrow |x^r - r| > x$
 $\xrightarrow{x < 0} -x^r + r - x > 0 \rightarrow x^r - r + x < 0 \rightarrow (x+r)(x-1) < 0$
 $\xrightarrow{x > 0} x^r - r - x > 0 \rightarrow (x-r)(x+1) > 0$
 I ∪ II → $\mathbb{R} - [1, r]$

$g^{-1}(1) = -1 \rightarrow x = 1 \Rightarrow y = 1 \rightarrow r + r^{b+a} = 1 \rightarrow b+a = r$
 $-x^r - r^{x+1} = r + r^{b-a} \xrightarrow{x=1} -r = r + r^{b-a} \rightarrow r = r^{b-a} \rightarrow b-a = 1$
 $r b - a = r(r) - 1 = r$
 $\begin{cases} b+a = r \\ b-a = 1 \\ \hline 2b = r+1 \\ b = \frac{r+1}{2} \\ a = 1 \end{cases}$

$$\lambda = 1 \rightarrow \lambda^r - \lambda = -r + \left(\frac{1}{r}\right)^{A+B} \rightarrow 0 = -r + \left(\frac{1}{r}\right)^{A+B} \rightarrow 1 = -A-B$$

$$\lambda = r \rightarrow r = -r + \left(\frac{1}{r}\right)^{A+B} \rightarrow r^{-A-B} = r^r \rightarrow r = -rA-B$$

$$\rightarrow 1 = -A-B$$

$$\frac{-r = rA+B}{-1 = A+B=0} \rightarrow B(r) = -r + \left(\frac{1}{r}\right)^{-1(r)} = -r + r^r = \boxed{r}$$

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$$\left(1 - \frac{1}{q}\right)^t = \frac{1}{q} \rightarrow \left(\frac{q}{q}\right)^t = \frac{1}{q} \rightarrow \log\left(\frac{q}{q}\right)^t = \log\frac{1}{q}$$

$$t \log\frac{q}{q} = -(\log r + \log r) \Rightarrow t(\log q - \log q) = -\log r - \log r$$

$$t(r \log r - r \log r) = r t \log r - r t \log r = -\log r - \log r$$

$$r t \log r + \log r = r t \log r - \log r \rightarrow \log r (r t + 1) = \log r (r t - 1)$$

$$\frac{\log r}{\log r} = \frac{\log r}{\log r} = -\log r = \frac{r t}{r t} \left\{ \begin{array}{l} \log r (r t + 1) = \log r (r t - 1) \\ \log r (r t + 1) = \frac{r t}{r t} (r t - 1) \end{array} \right. \rightarrow t = \frac{1}{r} \rightarrow r \lambda$$

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$$\Rightarrow 1 - \frac{1}{r} = \frac{1}{r} = \frac{1}{r} \rightarrow \left(\frac{1}{r}\right)^t = \frac{1}{r} \rightarrow \log\left(\frac{1}{r}\right)^t = \log\frac{1}{r}$$

$$t \log\frac{1}{r} = \log\frac{1}{r} \rightarrow t(\log r - r \log r) = -\log r$$

$$t \log r - r t \log r = -\log r \rightarrow t \log r - r t \log r = -r t \log r$$

$$-r t \log r (t+1) = -r t \log r \rightarrow t+1 = 1 \rightarrow t = 0$$

$$\log r = 1/4 \rightarrow \log r = \frac{1}{4} \rightarrow \log r = \frac{1}{4} \rightarrow \log r = \frac{1}{4}$$

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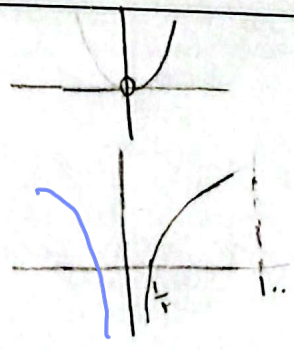
$$a_1 \left(\frac{1 - r^n}{1 - r}\right)^n = \frac{1}{r} a_1 \rightarrow \left(\frac{1 - r^n}{1 - r}\right)^n = \frac{1}{r} \rightarrow n \log\frac{1 - r^n}{1 - r} = \log\frac{1}{r}$$

$$n(\log r + r \log r - r \log r) = n(\log r + r \log r - r(1 - r^n)) = -\log r$$

$$n(2rA + A - 1, \epsilon) = -1, \epsilon \rightarrow n = r r^r$$

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$$y = r \log r^n \rightarrow n \log r^n = r^n \rightarrow$$



1, 1/0

$$y = \log r^n \rightarrow y = r \log r$$

D = IR - {0}