

$$a + aq^r = r\lambda \Rightarrow a(1+q^r) = r\lambda$$

$$aq + aq^r = r' \Rightarrow aq(1+q) = r' \Rightarrow \frac{a(1+q^r)}{aq(1+q)} = \frac{r'}{r} \Rightarrow$$

$$\frac{(1+q)(1+q^r-q)}{q(1+q)} = \frac{r'}{r} \Rightarrow r + cq^r - cq = r'q \Rightarrow cq^r - cq + c = 0$$

$$q^r - cq + c = 0 \Rightarrow (q-1)(q-1) = 0 \Rightarrow q = 1 \text{ or } q = 1$$

$$\frac{a}{q} \times a + aq = r' \Rightarrow a^2 = r' \Rightarrow \left(\frac{r'}{q} + r + cq = r'\right) \times q \Rightarrow$$

$$r + cq + cq^r = r'q \Rightarrow cq^r - cq + r = r'q \Rightarrow q^r - cq + r = r'q \Rightarrow (q-1)(q-1)$$

$$q \left[\frac{1}{r} \rightarrow 1, r, q \right]$$

$$a_1 = r \times r^q \quad a_1 = r$$

$$p_{10} = (r \times r^q)^8 \Rightarrow r^{10} \times r^{80}$$

$$a_n = r \times r^{n-1} \dots$$

$$q = r \quad a_n = r \quad \sum_{n=1}^{\infty} \frac{a(q^{n-1})}{q-1}$$

$$\sum_{n=1}^{\infty} \frac{r(r^{n-1}-1)}{r} = \frac{r^{10}-1}{r-1}$$

$$a, aq, aq^2, aq^3, \dots, aq^{n-1}$$

$$aq - a, aq^2 - aq, aq^3 - aq^2, \dots, aq^n - aq^{n-1}$$

$$a(q-1), aq(q-1), aq^2(q-1), \dots, aq^{n-1}(q-1)$$

$$aq^{n-1}(q-1) = aq^n - aq^{n-1}$$

$$a_1 = a(q-1) \quad q = q$$

$$S = a_1 + a_2 + a_3 + \dots + a_n$$

$$(S = a + aq + aq^2 + \dots + aq^{n-1}) \times q$$

$$qS = aq + aq^2 + aq^3 + \dots + aq^n$$

$$S - qS = a - aq^n$$

$$S(1-q) = a(1-q^n) \Rightarrow S = \frac{a(1-q^n)}{1-q}$$

$$S = \frac{a(q^n-1)}{q-1}$$

$$a_1, a_2, a_3, a_4, \dots, a_n$$

$$a_1(a_1+d) + a_2(a_2+d) + \dots + a_n(a_n+d)$$

$$\frac{a + a + (n-1)d}{2} \times n \Rightarrow$$

$$(a + (n-1)d) \times \frac{n}{2}$$