

$$\alpha^p + p\alpha = \alpha^p - p \implies p\alpha = -p - \alpha = -p$$

$$f(p) = p \implies \frac{p^p + a}{p - b} = p \implies p + a = 1p - pb \implies a + pb = 1$$

$$g(p) = p \implies p \times p + b = p \implies p + b = p \implies b = -1$$

$$f(b) \implies \frac{1+a}{p-b} \implies \frac{1+1}{p-(-1)} = \frac{1p}{p} = p$$

$$D_f = \mathbb{R} - \{-1, p\}$$

$$px^p + ax + b = 0 \implies p - a + b = 0 \implies p - a + b = 0$$

$$px^p + ax + b = 0 \implies p^p + pa + b = 0 \implies p - a + b = p^p + pa + b$$

$$p - a + b = p^p + pa + b \implies p - a = p^p + pa$$

$$p - a = p^p + pa \implies -p = a \implies a = -p$$

$$f(x) = \frac{px + 1}{px^p - 1}$$

$$f(p) = \frac{p+1}{p^p - 1} = \frac{0}{-1p^p} = -\frac{0}{1p^p} \implies -p = a \implies b = -1$$

$$D_f = \mathbb{R} - \{-1\}$$

$$-px^p + ax + b = 0 \implies -p - a + b = 0$$

$$f(x) = \frac{x^p - 1}{-px + a + b}$$

$$(x = -1) \implies -p - a + b = 0 \implies b - a = p$$

$$b - a = p$$

$$b = a + p$$

$$a + b = p^p + pa + p$$

$$a + a + p = p^p + pa + p \implies -1 + p = -1p$$

$$f(p) = \frac{p^p + 1 + pa + p}{(p+1)^p - 1} = 0 \implies (p+1)^p - 1 = -1$$

$$\mathbb{R} - \{1\}$$

$$(x-1)(x^p + mx + 1) = 0 \implies x^p + mx + 1 = 0$$

$$x^p + mx + 1 \implies \Delta < 0 \implies m^p - 4 < 0 \implies m^p < 4 \implies m < \sqrt[p]{4}$$

$f(x) = \sqrt{F - \frac{1}{x^p}} \rightarrow \sqrt{\frac{Fx^p - 1}{x^p}} \rightarrow Fx^p - 1 > 0 \rightarrow Fx^p > 1$   
 $\left\{ \begin{array}{l} F - \frac{1}{x^p} > 0 \\ x^p > 0 \rightarrow x \neq 0 \end{array} \right.$   
 $D_f = \left[ \frac{1}{F}, 0 \right) \cup \left( \frac{1}{F}, +\infty \right)$

$\Delta \leq 0 \rightarrow Fm^p - Fm \leq 0 \rightarrow Fm^p \leq Fm$   
 $m = [0, 1] \leftarrow \text{Prob } \sqrt{\quad} \leftarrow m \leq 1$

$f(x) = g(x) \rightarrow px + 1 = \frac{Fx^p - 1}{x^p - 1} \rightarrow (px + 1)(x^p - 1) = Fx^p - 1$   
 simplify for  $x \neq 1$  still  
 $0 \rightarrow \text{null } (x^p - 1) \text{ still } \text{Bis } 0 \rightarrow Fx^p - 1 = Fx^p - 1$   
 $px + 1 = 0 \rightarrow x = -\frac{1}{p}$   
 $\alpha + K = -\frac{1}{p} \rightarrow px + 1 = Fx + K \rightarrow x = -\frac{1}{p} \rightarrow K = 0$

$x \neq \alpha$   
 $f(x) = g(x) \rightarrow \frac{Fx^p - 1}{px + p} = px + b \rightarrow \frac{(px - p)(px + p)}{px + p} = px - p = px + b$   
 $px + b = px + p$   
 $px - p = px + p$   
 $px - px = p + p \rightarrow 0 = 2p$   
 $\alpha - b = p - (-p) = 2p$   
 $\alpha = \frac{-p}{px + p} + 1 = \frac{-p}{px} + 1$   
 $x = \frac{-p}{px}$

$x^p - F = \frac{(x+p)(x-p)}{x-p} = x+p = \frac{f(x)}{g(x)}$   
 $px^p + \alpha x = x + p$   
 $\alpha(x+p) = x+p \rightarrow x = p \rightarrow \alpha(x+p) = F$   
 $\alpha \rightarrow p \rightarrow \alpha p^p + \alpha p = F$   
 $\alpha p^p + \alpha p = F$   
 $\alpha^p + \alpha = 1$   
 $(\alpha + p)(\alpha - p) = 0 \rightarrow \alpha = 1$